# Few-Shot Scene Adaptive Crowd Counting Using Meta-Learning

#### Overview

Traditional Models: They require large number of labeled data to achieve a successful model. However, for application like crowd counting, collecting large amount of labeled data or annotating every camera images is expensive, or cumbersome.

Meta-learning: It enables to exploit the adaptable scene representation to learn a new camera scene (task) with limited data.

### Problem Setup

Top row: During training, we have access to a set of N different camera scenes where each scene comes with M labeled examples. From such training data, we learn the model parameters  $\theta$  of a mapping function  $f_{\theta}$  such that  $\theta$  is generalizable across scenes in estimating the crowd count.

Bottom row: Given a test (or target) scene, we assume that we have a small number of K labeled images from this scene, where  $K \ll M$  (e.g.,  $K \in \{1, 5\}$ ) to learn the scene-specific parameters  $\tilde{\theta}$ . With the help of meta-learning guided approach we quickly adapt  $f_{\theta}$  to test scene specific parameters  $f_{\tilde{\theta}}$  that predicts more accurate crowd count than other alternative solutions.



#### Few-shot Scene Adaptive Crowd Counting

Inner update:

$$\tilde{\theta}_i = \theta - \alpha \nabla_\theta \mathcal{L}_{\mathcal{T}_i}(f_\theta)$$

where 
$$\mathcal{L}_{\mathcal{T}_i}(f_{\theta}) = \sum_{(x^{(j)}, y^{(j)}) \in D_i^{train}} \|f_{\theta}(x^{(j)}) - y^{(j)}\|_F^2$$

$$\mathcal{L}_{\mathcal{T}_i}(f_{\tilde{\theta}_i}) = \sum_{(x^{(j)}, y^{(j)}) \in D_i^{test}} \|f_{\tilde{\theta}_i}(x^{(j)}) - y^{(j)}\|_F^2$$

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Meta-learning comparison results between different optimization based approaches [2, 3]







